



Color Models of Shadow Detection in Video Scenes

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Foreground detection for video surveillance

- **Static camera:** static
- **Long** video sequence is available
- **Goal:** accurate retrieval of the object shapes; cast shadow removal
- **Adaptive model**
 - Sharpness of shadow may change in time



Color modeling problem of cast shadows

- Model framework for comparing color spaces
- Experiments for appropriate color space selection
 - Grayscale vs color images
 - RGB space vs CIE uncorrelated spaces
 - Chrominance, luminance or “mixed” spaces

Outline

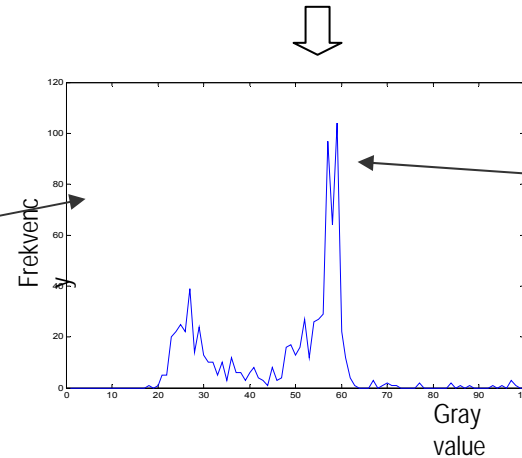
- Background modeling
- Overview on the state-of-the art shadow detectors
- Feature selection
- Study on the shadow domain in the feature space
- Evaluation

Background calculus

Stauffer-Grimson algorithm



Time histogram for the selected pixel 's'

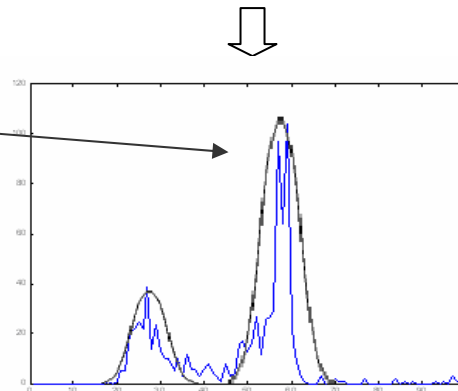


Greatest peak:
background

Approximation with mixture of Gaussians, using real time on-line k-means algorithm

Background

component:
Gaussian with the
greatest weight

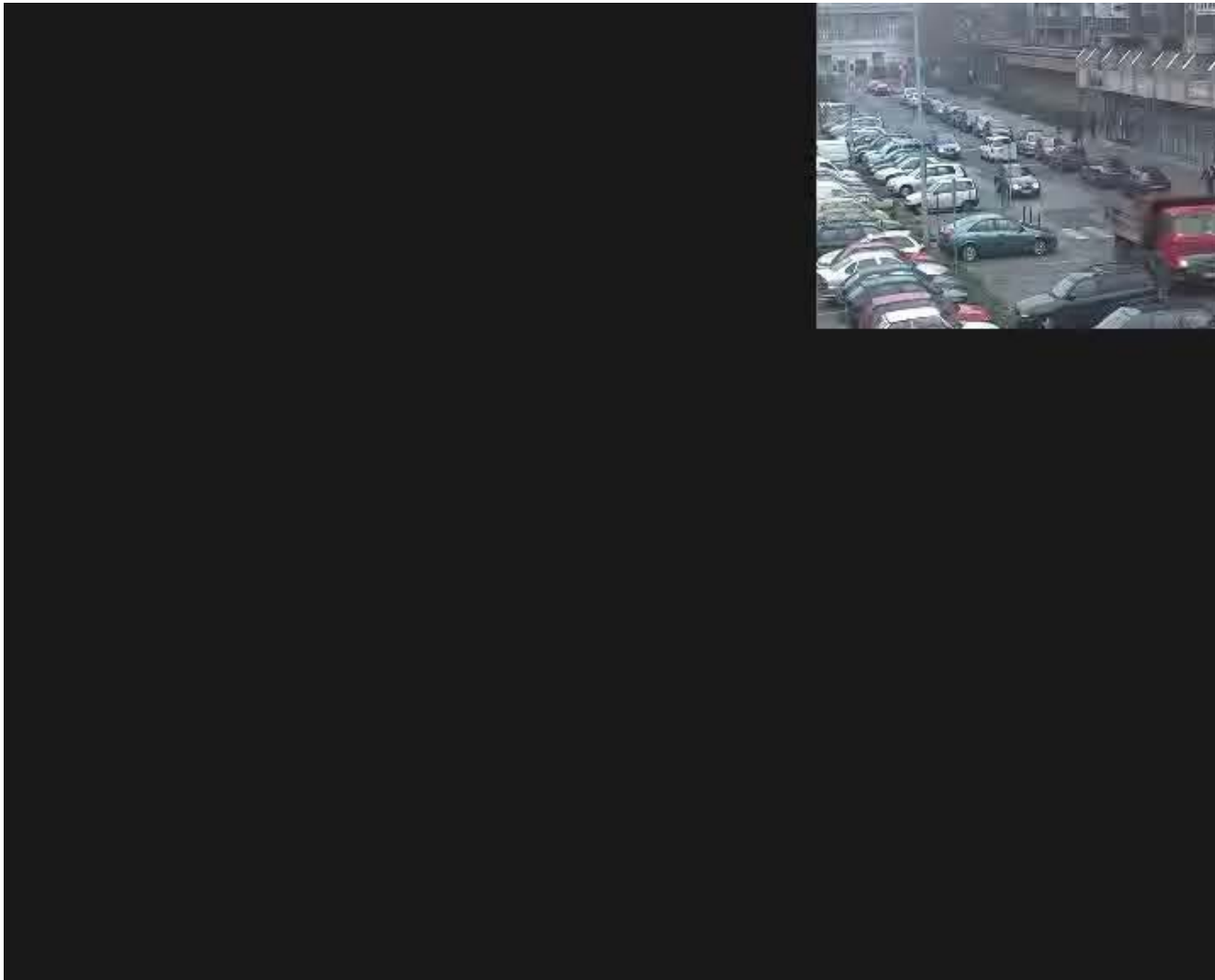


Probability of 's' in the
background has value $x(s)$:

$$p_{bg}(s) = \eta(x(s), \mu_{bg}(s), \Sigma_{bg}(s))$$

$$\Sigma_{bg}(s) = \sigma_{bg}^2(s)I$$

Background image synthesis



Result of background subtraction



Approaches on shadow detection/1

- Deterministic

- ON/OFF decision processes at each pixel

- Statistical

- Probability density functions describe the *confidence* of the shadow membership (MRF models)

Approaches on shadow detection/2

- Non-parametric models
 - illuminant-invariant approaches (e.g. normalized rgb or $C_1C_2C_3$ spaces)
 - Limited validity
- Parametric models
 - Feature extraction using the actual and background values of the pixels
 - Color space selection
 - Shape of the shadow domain in the feature space



Physical approach on shadow detection

- Lambertian illumination

- $g(s)$: camera sensor
- e : illumination function
- ρ : reflection function
- v : sensor sensitivity

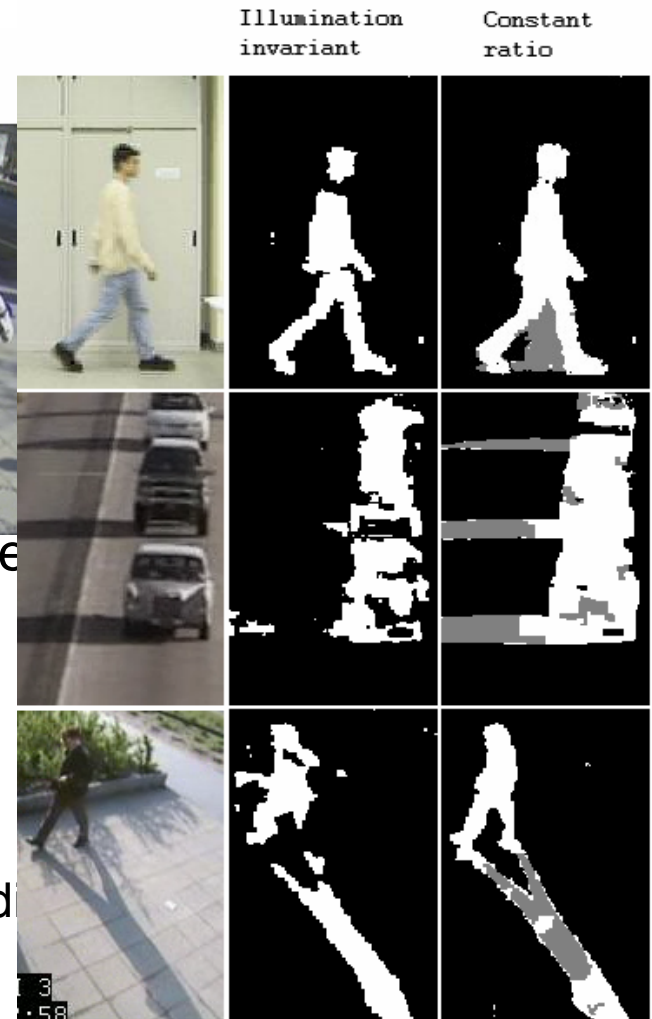


- Constant ratio model (simplification of the $e(.,.)$ independent of s)

- $g_{\text{shadow}}(s) \approx A \cdot g_{\text{background}}(s)$
- Corrupted by illumination artifacts

- Proposed statistical model:

- $\Psi(s) = g(s) / g_{\text{background}}(s)$ follows statistical distribution



Shadow descriptor in the RGB space

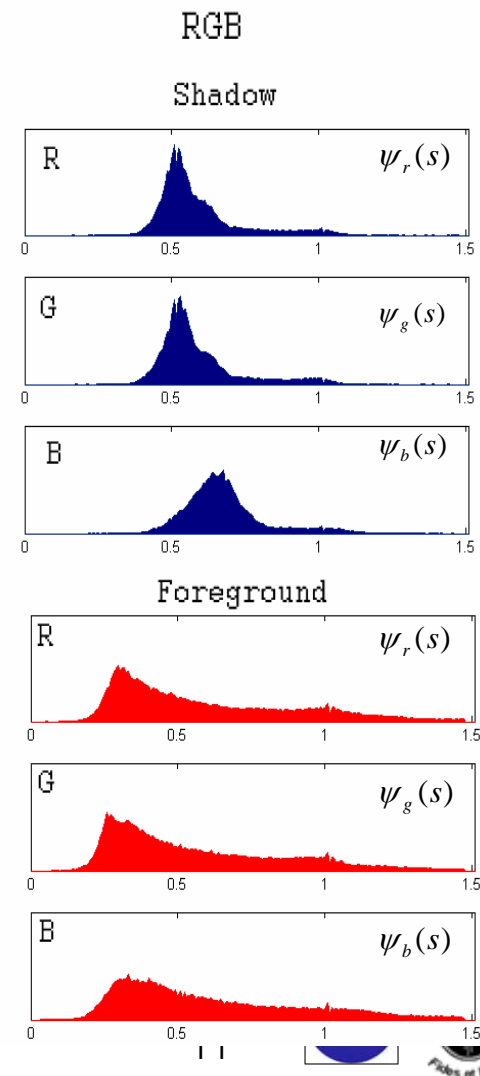


- Definition of the shadow descriptors for each color channel (r,g,b)

- Current pixel value: $[x_r(s), x_g(s), x_b(s)]$
- Mean background value: $[\mu_r^{bg}(s), \mu_g^{bg}(s), \mu_b^{bg}(s)]$
- Shadow descriptor:

$$\psi_r(s) = \frac{x_r(s)}{\mu_r^{bg}(s)} \quad \psi_b(s) = \frac{x_b(s)}{\mu_b^{bg}(s)} \quad \psi_g(s) = \frac{x_g(s)}{\mu_g^{bg}(s)}$$

- Gaussian distribution for the color components regarding the shadow



Shadow ψ -statistics in different color spaces

- HSV, CIE $L^*a^*b^*$, CIE $L^*u^*v^*$ spaces:
 - 'L' color components: depends on the brightness of the pixel (V and L)
 - 'C' components: 'illumination independent' (H,S,a,b,u,v)
- rg, $C_1C_2C_3$
 - Only 'C' components
- 'grayscale', RGB
 - Only 'L' components

Shadow ψ -statistics in different color spaces

■ Shadow descriptor in a given color space

- Current pixel value: $[x_0(s), x_1(s), x_2(s)]$
- Mean background value: $[\mu_0^{bg}(s), \mu_1^{bg}(s), \mu_2^{bg}(s)]$
- Shadow descriptor:

For 'L' channels:
$$\psi_i(s) = \frac{x_i(s)}{\mu_i^{bg}(s)}$$

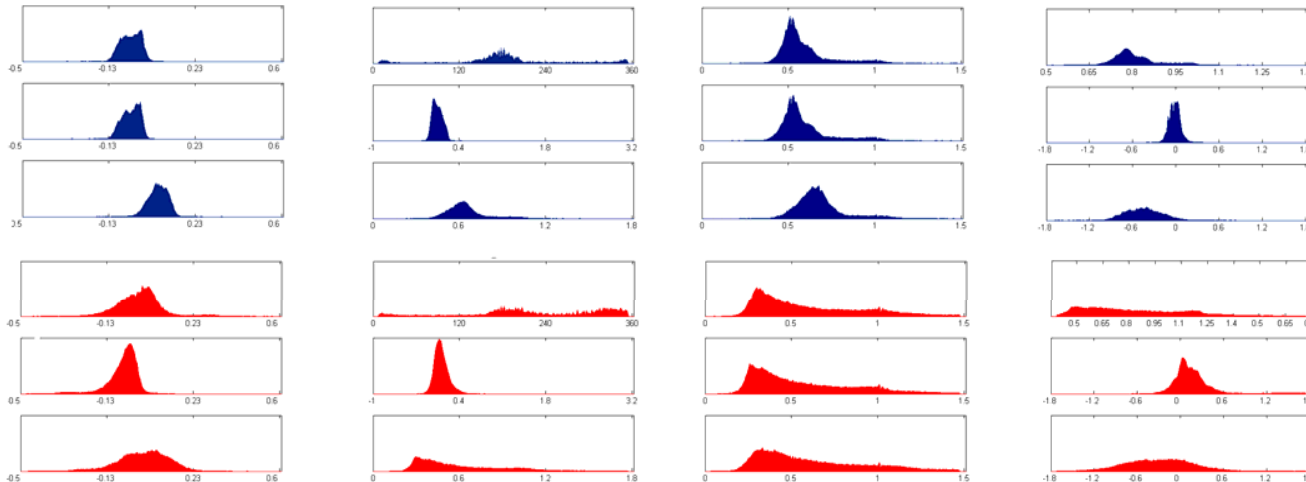
For 'C' channels:
$$\psi_i(s) = x_i(s) - \mu_i^{bg}(s)$$

$C_1 C_2 C_3$

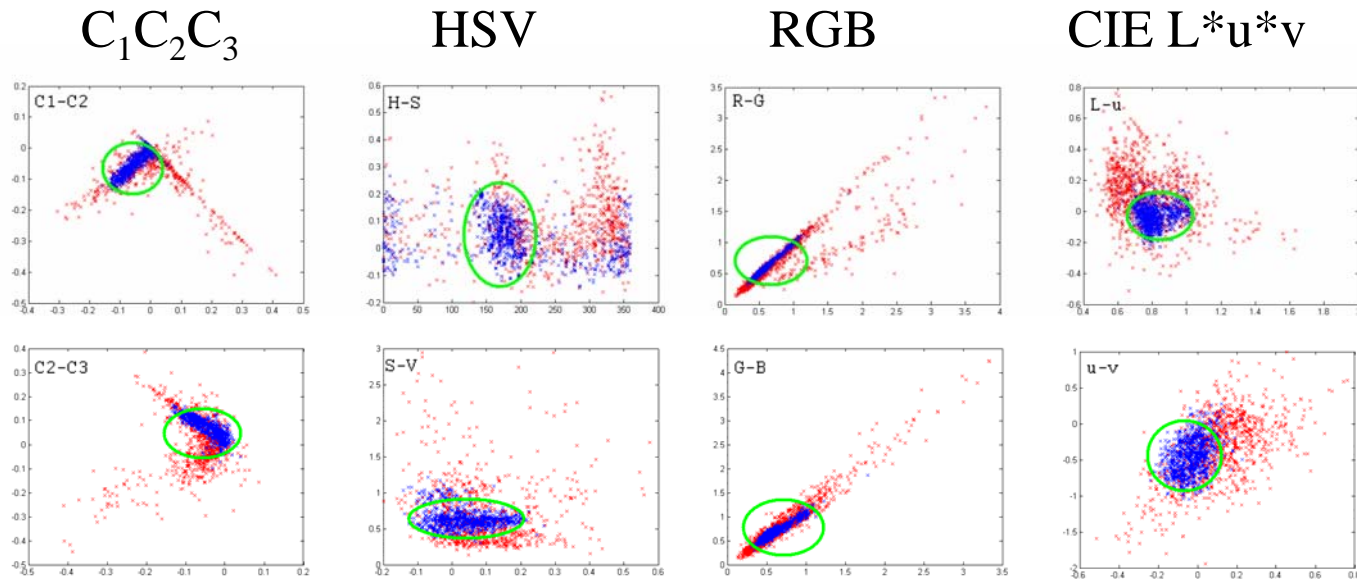
HSV

RGB

CIE L*u*v



Shape of the shadow domain



Pixel 's' is shadowed

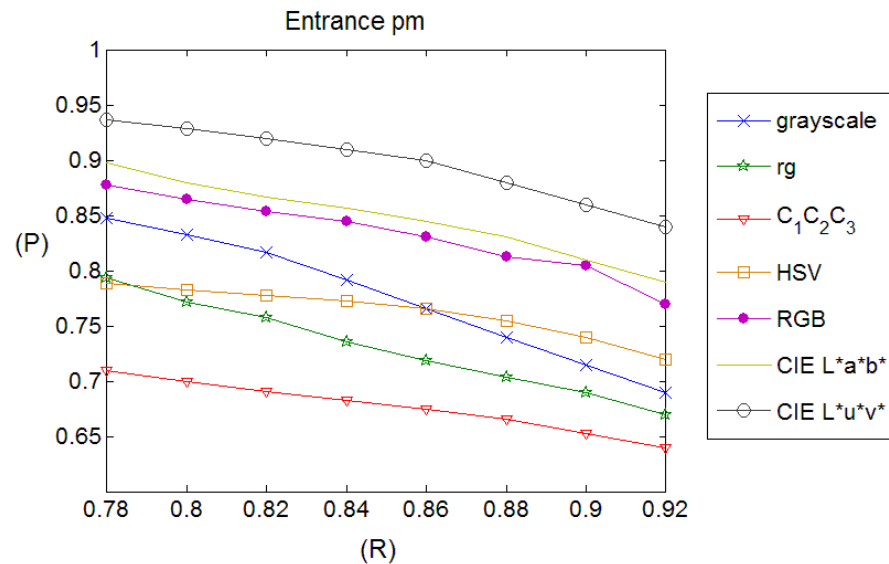
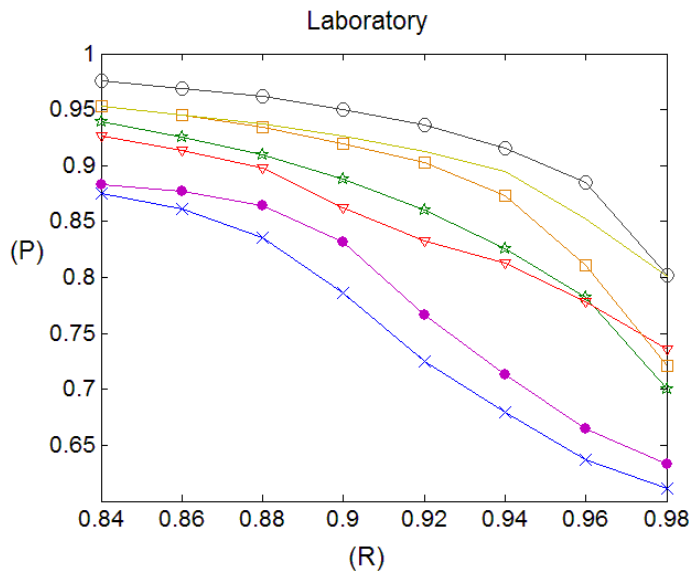
CIE L*u*v: uncorrelated features –less free parameters

$$\Leftrightarrow \sum_{i=0}^2 \left(\frac{\psi_i(s) - a_i}{b_i} \right) \leq 1$$

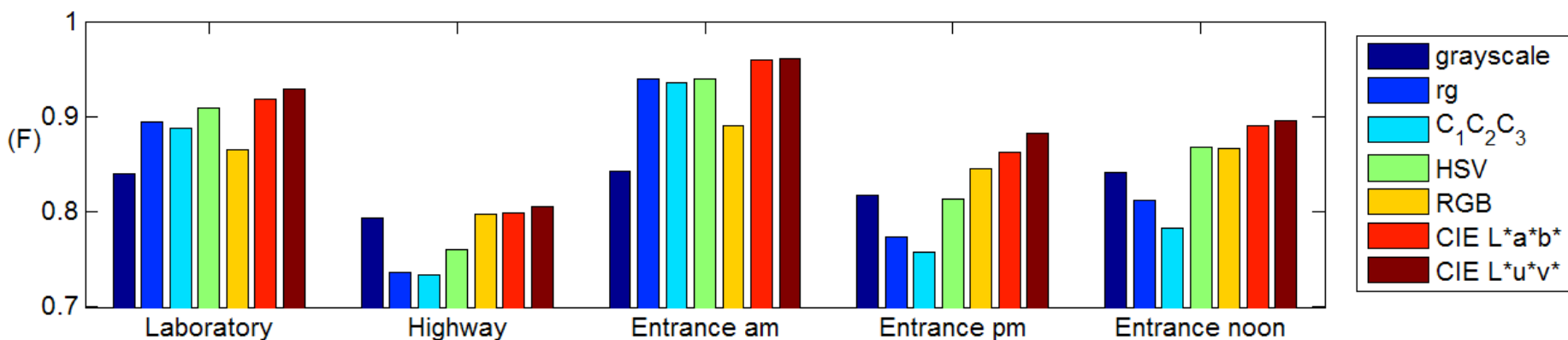
Evaluation

- Measuring the tentative limits of the elliptical shadow domain
 - Discriminating foreground and shadowed pixels purely based on the shadow descriptors
 - Manual parameter settings
- Measuring the performance in real surveillance environment
 - Spatial smoothing the segmented image
 - Automated parameter adaption

Comparison with the ellipse model: Precision/Recall plots



Comparison with the ellipse model: F-measure (harmonic mean of P and R)



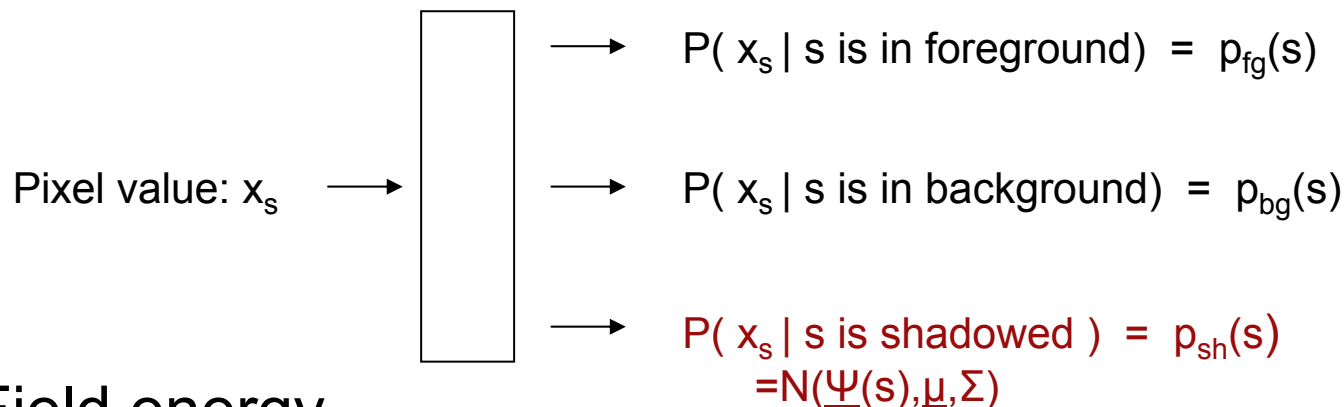
Dark shadows: 'C' spaces are poor

Measuring the performance in real surveillance environment

- Representative ground truth foreground-shadow points are not available, the optimal ellipse parameters should be estimated somehow
- The classification of a given pixel is usually done considering other effects than color, like neighborhood connection.
- Markov Random Field Framework (Potts model)

Probabilistic model description

- A likelihood classification model for pixel 's'



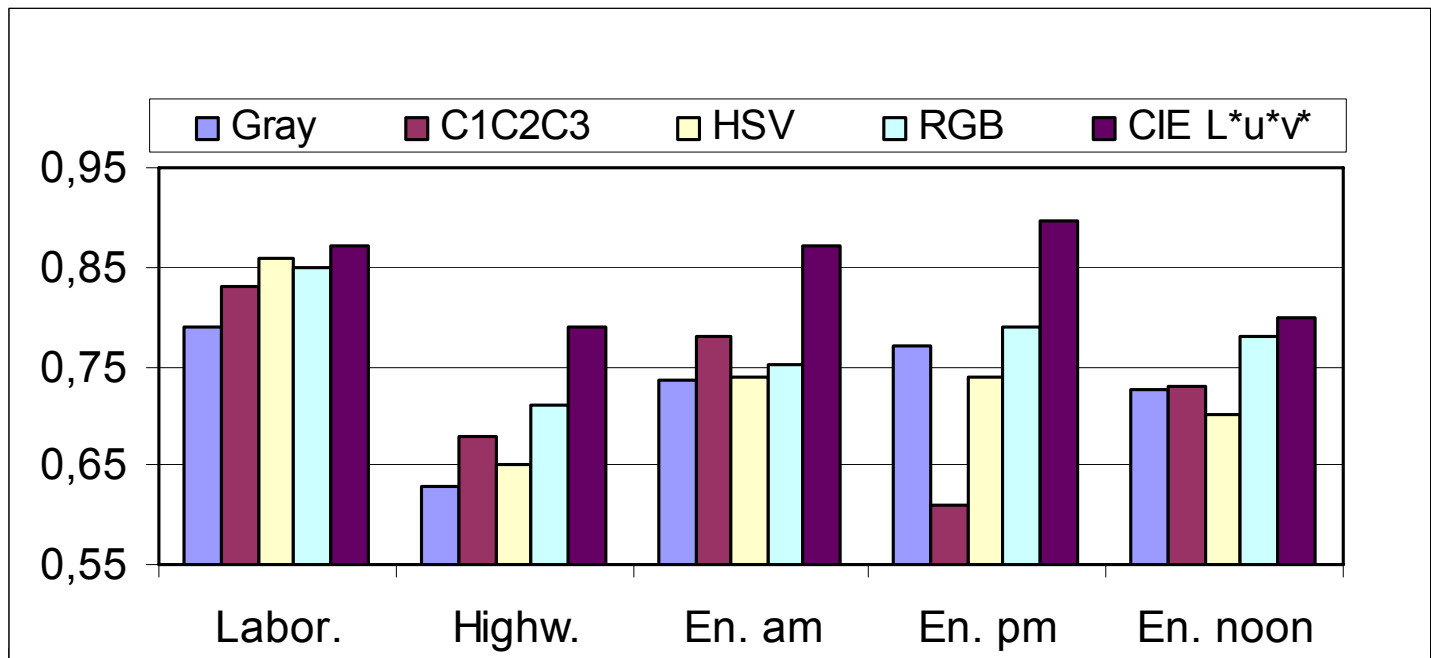
- Field energy

- Potts model:

$$E = - \sum_s \log P(x_s | w_s) + \sum_{\substack{\{s,r\} \\ \text{neighbours}}} V_{s,r}(w_s, w_r)$$

$$V_{s,r}(w_s, w_r) = \begin{cases} -\beta & w_s = w_r \\ +\beta & w_s \neq w_r \end{cases}$$

Segmentation results – comparison of different color spaces



F-rates for Foreground-shadow discrimination
(compared to manually generated ground truth)

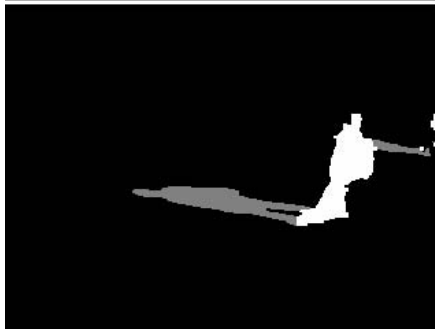
Segmentation results – comparison of different approaches



Constant ratio



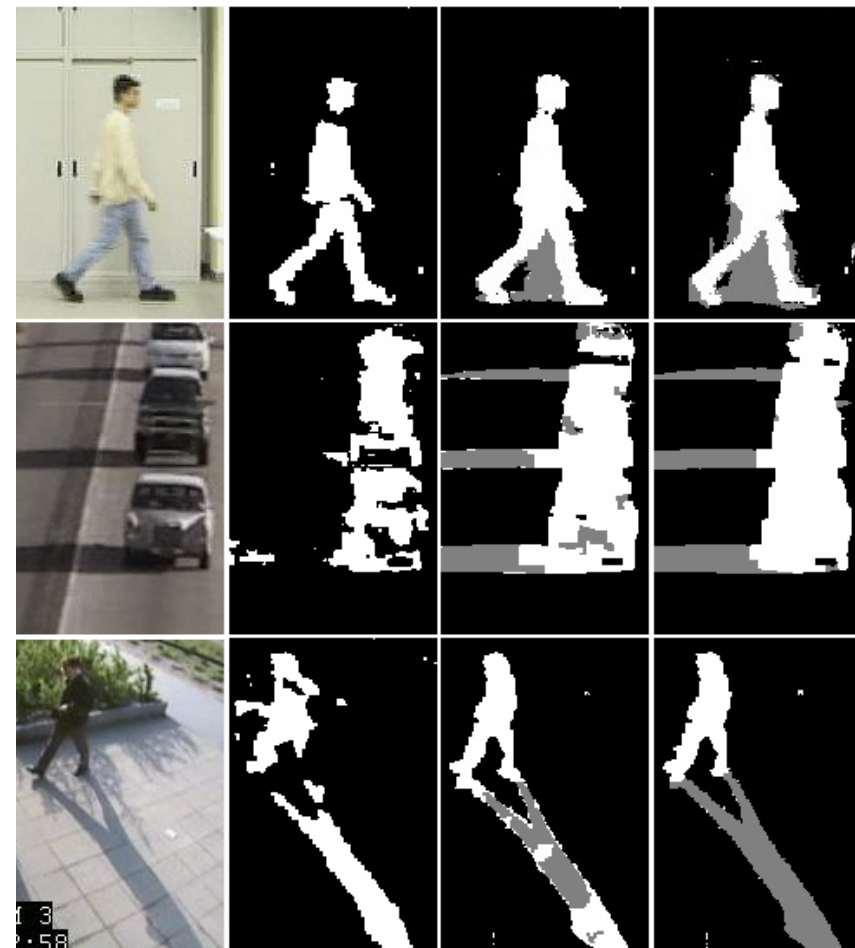
Proposed



Illumination invariant

Constant ratio

Proposed



Conclusion

- Model framework

- Parametric, but has a few free parameters
- Appropriate with different color spaces

- Results

- CIE $L^*u^*v^*$ space is the most efficient

Thank you for your attention!

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